



Stockholm  
University

Department of Economics

**Course name:** Intermediate Microeconomics  
**Course code:** EC2101  
**Semester:** Spring 2015  
**Type of exam:** RETAKE  
**Examiner:** Jonas Vlachos  
**Number of credits:** 7,5 credits (hp)  
**Date of exam:** Sunday, May 3, 2015  
**Examination time:** 5 hours (09:00-14:00)

**Write your identification number on each paper and cover sheet (the number stated in the upper right hand corner on your exam cover).**

**Use one cover sheet per question.** Explain notions/concepts and symbols. If you think that a question is vaguely formulated, specify the conditions used for solving it. Only legible exams will be marked. **No aids are allowed.**

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The exam consists of 4 questions, 100 points in total. For the grade E 45 points are required, for D 50 points, C 60 points, B 75 points and A 90 points.

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Your results will be made available on your "My Studies" account ([www.mitt.su.se](http://www.mitt.su.se)) on the 25<sup>th</sup> of May at the latest.

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**Good luck!**

## 1. Consumption (25). Please answer in English!

Adam can consume two goods,  $x_1$  and  $x_2$ , that cost  $p_1$  and  $p_2$ , respectively. Adam is a well-behaved person with well-behaved preferences. His utility function is given by

$$u(x_1, x_2) = x_1 x_2^3. \text{ Adam's income is } m.$$

- a) Derive Adam's Marshallian demand functions (functions of prices and income) for the two goods by solving the utility maximization problem.
- b) Calculate the price elasticity of good 2. (Hint: Use the demand function derived in a.)
- c) Is good 1 an ordinary good? I.e., does demand increase when prices fall? (Hint: Explain by using the demand function derived in a.)
- d) Now assume that the price of good 1 increases from  $p_1$  to  $p'_1$ . The increase in price has two effects on demand for good 1. What are these two effects called? Provide a verbal explanation for these two effects.
- e) Illustrate these two effects when  $p_1$  increases to  $p'_1$  in a graph, with the quantities of the goods on each axis.
- f) Explain why not all goods have to be ordinary and the conditions under when it is more likely when they are not.

## 2. Imperfect competition (25). Please answer in English!

Consider a market with two firms, A and B. They provide an identical good to a market and they do not collaborate. Rather, they compete in Cournot fashion (quantity competition). The inverse demand for the good is  $P = 100 - 2Q$ , where  $P$  is price and  $Q$  is the total quantity ( $q_A + q_B$ ). Firm A has a marginal cost of \$12 and firm B of \$20. There are no fixed costs. (You are allowed to round your answers if necessary.)

- a) Determine each firm's reaction curve (also known as best response function) and illustrate them in a graph.
- b) How many units will each firm produce in Cournot equilibrium?
- c) What will the market price be?
- d) How much profit will each firm earn?
- e) How much would firm A be willing to pay for firm B assuming that it could then use its low cost production technology to serve the whole market? Would firm B accept this offer?

### 3. Asymmetric information (25). Please answer in English!

Suppose that there are two types of workers in the world: Ambitious types (A) and Lazy types (L). Under perfect information, the market would pay \$70000 for type A workers and \$20000 for type L workers. The problem is that the market does not know who is A and who is L. One way to separate the A.s and the L:s is to require workers to have a college degree. It is easy for A-types to get such a degree (it takes four years and the cost is \$40000), but more difficult for L-types (it takes 6 years and costs \$60000). Assume that a college degree has no effect on the productivity of workers. (All costs and wages are in present value terms.)

- a) Suppose a company just offers everybody \$45000, with no degree requirements, and no other attempts to screen the applicants (basically it is running a lottery among those who apply). Which types of workers would be most likely to apply for a position?
- b) Suppose that the company announces that it will pay \$70000 to those with a degree and \$20000 to those without. What is the net benefit of a college education to A-types? To L-types? Does this hiring policy allow the firm to filter out L-types?
- c) Now suppose that the government gives a subsidy that reduces the cost of a college degree for L-types to \$46000. What is the net benefit to of a degree to A-types? To L-types? Under this subsidy, does the degree requirement allow the firm to filter out L-types?
- d) In the light of your answers in b) and c), discuss the following statement: *To be effective, a signal must be costly, but it must be more costly for low-productivity types.*
- e) Many schools and universities are accused of grade inflation. Some US colleges have even outlawed the grade F (fail). In the light of your answer in d), discuss the impact of this practice on the signaling value of a degree. Is this practice good for students? Does this depend on the type of the student?

#### 4. Shorter questions (25). Please answer in English!

a) Anna's wealth consists of a bike that is worth 1000 SEK. She faces a probability  $\pi = 0,2$  of her bike being stolen (in which case her wealth will be zero). Her utility function is given by  $u(x) = x^2$ , where  $x$  denotes her wealth. State Anna's expected utility function and calculate her expected utility (hint:  $1000^2 = 1000000$  .) . For an insurance that pays her  $K$  in case her bike is stolen, Anna has to pay an actuarially fair premium of  $0,2K$ . Explain in words (no calculations!) how much insurance Anna will buy.

b) Two persons both like fireworks, but to a different degree. Debbie has a marginal benefit  $MB_D=70-Q$ , where  $Q$  is the number of firecrackers. The marginal benefit to Clive is  $MB_C=40-2Q$ . Assume that the marginal cost of fireworks is equal to 80. What is the total marginal benefit of fireworks and what is the optimal amount of fireworks?

c) A firm has the production function  $f(K, L) = K^2 L^{1/2}$ , where  $K$  denotes capital and  $L$  denotes labor. Let  $r$  and  $w$  denote the prices of capital and labor, respectively. Let  $p$  denote the price of the good that is being produced. State the *long-run cost minimization problem*, set up the Lagrangian function and derive the first-order conditions (you do not have to do more than that!).

d) Consider a situation where firm A is a pharmaceutical company that has developed a new drug against obesity (kraftig övervikt). Firm B is specializing in copying drugs developed by other companies. If A releases the drug, B might attempt to copy it and sell it at a lower price than A (assume for the time being that there are no patent laws). If A does not release the drug, A earns 10 in profits and B earns 4. If A releases the drug and B does not copy it, A earns 100 and B earns 4. If A releases the drug and B does copy it, A earns -10 in profits (i.e., it makes a loss) and B earns 20.

- i) Show the above situation in a game tree. Should A release the drug if its aim is to maximize profits?
- ii) If B told A that it would not copy the drug, would this change your answer?
- iii) Would your answer change if B signed a contract specifying that it would pay A 10 if it did copy the drug?
- iv) Would your answer in i) change if there were patent laws protecting the drug developed by A, making it illegal to copy the drug.